

# Two New Single-Resistor-Controlled Quadrature Sinusoidal Oscillators using Current-Differencing-Buffered-Amplifiers

JK Pathak

Department of Electronics and Communication Engineering, Delhi Technical Campus (IP University), Greater Noida (UP), India

## Article Info

Article history:

Received 25 January 2017

Received in revised form

20 February 2017

Accepted 28 February 2017

Available online 15 June 2017

**Keywords:** Sinusoidal oscillators, Quadrature oscillators, analog circuits, Current mode circuits,

## Abstract

Two new single resistor-controlled quadrature oscillator (SRCQO) circuits using only two current differencing buffered amplifiers (CDBAs) as active elements and only three resistors and two capacitors, are presented. First proposed circuit uses all input terminals of the CDBA to exploit full capacity of the CDBAs, offers better sensitivities with respect to active parameters and has wide frequency range of operation. The second proposed circuit provides very good low frequency performance with respect to total harmonic distortion. Separate single resistors can control both oscillation condition and the oscillation frequency of the proposed quadrature oscillator circuits independently. PSPICE simulation results based upon commercially available AD844 ICs, to construct the CDBAs, are included which confirm the practical workability of the new proposed quadrature oscillator circuits.

## 1. Introduction

Quadrature oscillators find extensive applications in many Instrumentation and Measurement systems, Signal processing and Communication systems, for example, in the area of telecommunications they are needed in quadrature mixers and single-side band generators [1] and in measurement applications they are required in vector generators and selective voltmeters [2]. Realization of quadrature oscillators has, therefore, received considerable attention in recent literature[3-7].

Traditionally, the IC operational amplifier (op-amp) has been the most prominent component to design sinusoidal oscillators [4-7]. However, to overcome the drawbacks of traditional op-amp circuits, during the past two decades, a variety of new current mode active building blocks have been introduced by a number of researchers, such as various extensions of current conveyor (CC) as in third generation CC, inverting CC, differential voltage CC, multiple output CC, differential difference CC and fully differential CC etc, operational trans-resistance amplifier (OTRA), current differencing trans-conductance amplifier (CDTA), current differencing buffered amplifier (CDBA) and numerous others.

Among the large number of building blocks proposed so far, the recently introduced Current Differencing Buffered Amplifier (CDBA) [8] is particularly attractive as it provides two current input terminals with a virtual ground at the input that is quite helpful in eliminating the effect of various parasitic impedances. On the other hand, it is quite suitable for current mode operation and also provides a voltage mode output at a terminal having very low output impedance, which is very useful for easy cascading.

Numerous CDBA applications have been reported by various researchers [8-12]. Interest in designing quadrature oscillators using CDBAs grew because of the availability of a voltage mode output at a terminal having very low output impedance, ease of design with least possible number of external components and single element frequency control to avoid tracking problem inherent in dual-element control. CDBA-based sinusoidal oscillator circuits [8, 13] consisting of one CDBA, three resistors and two floating capacitors. The condition of oscillation and frequencies of oscillation of these oscillators are not independently controllable. Quadrature oscillator circuits [14-18] consist of more number of passive components than minimum required. Quadrature oscillator circuits [19-20] using CDBA with minimum number of passive components too but these circuits do not exploit the full capacity of the CDBA as negative terminal of one of the CDBAs is left unconnected in these circuits. Moreover, the circuits exhibit high total harmonic distortion at low frequencies.

The aim of this paper is to introduce two new single-resistance-controlled quadrature oscillators (SRCQO) circuits providing the advantageous features of providing the employment of a minimum possible number of external passive components and independent control of both the frequency of oscillation as well as the condition

\*Corresponding Author,

E-mail: pathak.jitender@gmail.com

All rights reserved: <http://www.ijari.org>

of oscillation. First of the two proposed circuit uses all input terminals of the both the CDBAs to exploit the full capacity of the CDBAs, has very low sensitivities with respect to active parameters and has wide frequency range of operation whereas the second proposed circuit provides very low total harmonic distortion at lower frequencies thereby suitable for low frequency operation. The workability of the proposed circuits has been verified through PSPICE simulations based upon the realization of CDBAs using commercially available AD844 type CFOAs.

## 2. The proposed new configurations

The circuit symbol of the CDBA is shown in Figure1. The terminal characteristics of this element are given by

$$V_p = V_n = 0, I_z = I_p - I_n, V_w = V_z \quad (1)$$

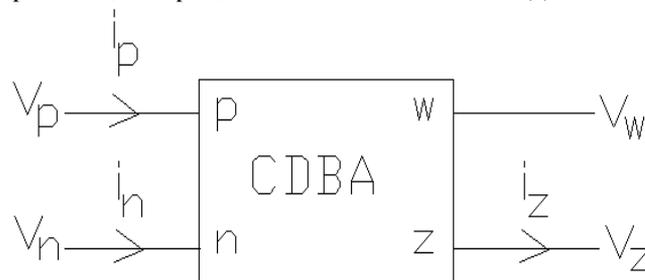


Fig.1. Symbol for the CDBA

As CDBA is not yet commercially available and it can be implemented using commercially available AD844 type current feedback operational amplifiers (CFOA)[8] although fully integratable versions suitable for implementation in CMOS [21-22] or bipolar technology have also been proposed [23-24]. In the present work, CDBAs have been constructed using commercially available AD844 type CFOAs [8] as shown in figure 2.

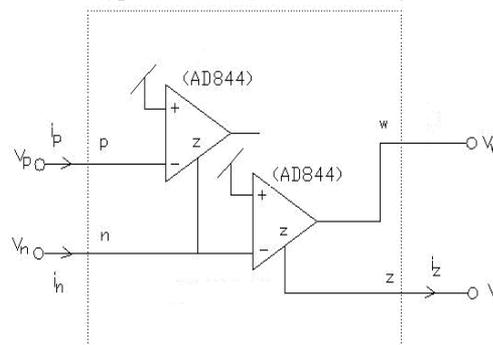
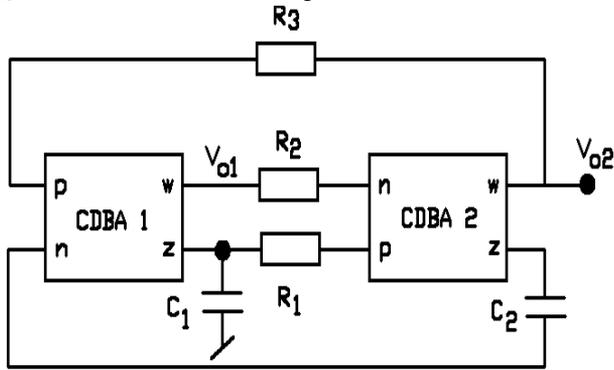


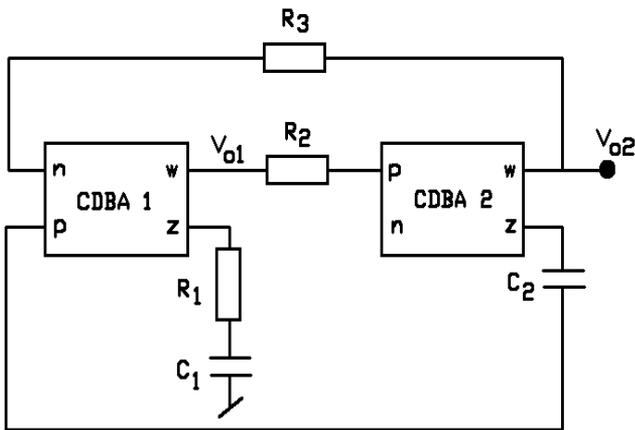
Fig.2. Implementation of CDBA using commercially available AD-844 type CFOAs [8]

As shown in figure 3, the proposed SRC-QOs, which are composed of two CDBAs, three resistors and two capacitors. From conventional circuit analysis using equation (1), the characteristic

equation, condition of oscillation, frequency of oscillation and relation between  $V_{o2}$  and  $V_{o1}$  of the proposed CDDBA-based SRC-QOs have been derived and are given in Table 1.



CIRCUIT 1



CIRCUIT 2

Fig.3 Proposed CDDBA-based single resistance controlled Quadrature oscillator circuits

It can be seen from Table 1 that the oscillation condition of the proposed SRC-QOs can be controlled by  $R_1$  and  $R_2$  for circuit 1 and by  $C_1$ ,  $C_2$ ,  $R_1$  and  $R_3$  for circuit 2, whereas the oscillation frequency can be varied by a single resistor  $R_3$  for circuit 1, and by single resistor  $R_2$  for circuit 2 without affecting the oscillation condition. Also, from the relationship between  $V_{o1}$  and  $V_{o2}$  as given in Table 1 it is clear that in both the circuits, the phase difference between  $V_{o1}$  and  $V_{o2}$  is  $\phi=90^\circ$  and thus,  $V_{o1}$  and  $V_{o2}$  are in quadrature.

Table 1: Characterization of the proposed SRCQO circuits

S.No.	Parameter	Circuit 1	Circuit 2
1	Characteristic equation	$as^2 + bs + d = 0$ Here $a = C_1 C_2 R_1 R_2 R_3$ $b = C_2 R_3 [R_2 (1 + \beta_{n1} \beta_{p2}) - \alpha_1 \alpha_2 \beta_{n1} \beta_{n2} R_1]$ $d = \alpha_2 \beta_{p1} (\alpha_1 \beta_{n2} R_1 - \beta_{p2} R_2)$	$as^2 + bs + d = 0$ Here $a = C_1 C_2 (R_2 - \alpha_1 \beta_{p1} \beta_{p2} R_1) R_3$ $b = \alpha_1 \beta_{p2} (\alpha_2 \beta_{n1} C_1 R_1 - \beta_{p1} C_2 R_3)$ $d = \alpha_1 \alpha_2 \beta_{n1} \beta_{p2}$
2	Condition of oscillation	$R_2 (1 + \beta_{n1} \beta_{p2}) = \alpha_1 \alpha_2 \beta_{n1} \beta_{n2} R_1$	$\alpha_2 \beta_{n1} C_1 R_1 = \beta_{p1} C_2 R_3$

S.No.	Parameter	Circuit 1	Circuit 2
1	Characteristic equation	$s^2 C_1 C_2 R_1 R_2 R_3 + s C_2 R_3 (R_2 - R_1) + (R_1 - R_2) = 0$	$2R_2^2 C_1 C_2 (R_2 - R_1) R_3 + s(C_1 R_1 - C_2 R_2) + 1 = 0$
2	Condition of oscillation	$2R_2 = R_1$	$C_1 R_1 = C_2 R_3$
3	Frequency of oscillation	$\frac{1}{2\pi \sqrt{C_1 C_2 R_1 R_3}}$	$\frac{1}{2\pi \sqrt{C_1 C_2 R_3 (R_2 - R_1)}}$
4	$V_{o2} = f(V_{o1})$	$\frac{-1}{s C_2 R_1}$	$\frac{1}{s C_2 R_2}$

3. Effects of CDDBA Non-idealities

A practical CDDBA can be described by the following terminal relationships that take into account the non-idealities of the device.

$$V_p = V_n = 0, I_z = \beta_p I_p - \beta_n I_n, V_w = \alpha V_z \tag{2}$$

where  $\beta_p = 1 - \epsilon_p$  and  $\epsilon_p$  ( $|\epsilon_p| \ll 1$ ) is the current tracking error from p-terminal to z-terminal,  $\beta_n = 1 - \epsilon_n$  and  $\epsilon_n$  ( $|\epsilon_n| \ll 1$ ) is the current tracking error from n-terminal to z-terminal, and  $\alpha = 1 - \epsilon_v$  and  $\epsilon_v$  ( $|\epsilon_v| \ll 1$ ) is the voltage-tracking error from z-terminal to w-terminal of the CDDBA. Re-analysis of the CDDBA-based oscillator circuits of Figure.3, using non-ideal equation (2), yields the modified characteristic equation, condition of the oscillation, frequency of the oscillation, relation between  $V_{o2}$  and  $V_{o1}$  and sensitivity with respect to passive and active parameters, as given in Table-2.

From Table 2, it is clear that the proposed circuits enjoy very low sensitivities and for circuit 1 it even approaches zero with respect to two active parameters, a clear advantage over the previously reported circuits of [19-20].

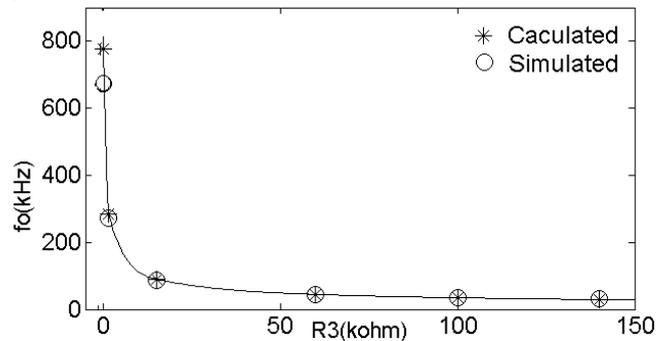


Fig 4: Single Resistor Frequency Control of Proposed Circuit 1

Table 2: Effects of CDDBA non-idealities

S.No.	Parameter	Circuit 1	Circuit 2
1	Characteristic equation	$as^2 + bs + d = 0$ Here $a = C_1 C_2 R_1 R_2 R_3$ $b = C_2 R_3 [R_2 (1 + \beta_{n1} \beta_{p2}) - \alpha_1 \alpha_2 \beta_{n1} \beta_{n2} R_1]$ $d = \alpha_2 \beta_{p1} (\alpha_1 \beta_{n2} R_1 - \beta_{p2} R_2)$	$as^2 + bs + d = 0$ Here $a = C_1 C_2 (R_2 - \alpha_1 \beta_{p1} \beta_{p2} R_1) R_3$ $b = \alpha_1 \beta_{p2} (\alpha_2 \beta_{n1} C_1 R_1 - \beta_{p1} C_2 R_3)$ $d = \alpha_1 \alpha_2 \beta_{n1} \beta_{p2}$
2	Condition of oscillation	$R_2 (1 + \beta_{n1} \beta_{p2}) = \alpha_1 \alpha_2 \beta_{n1} \beta_{n2} R_1$	$\alpha_2 \beta_{n1} C_1 R_1 = \beta_{p1} C_2 R_3$

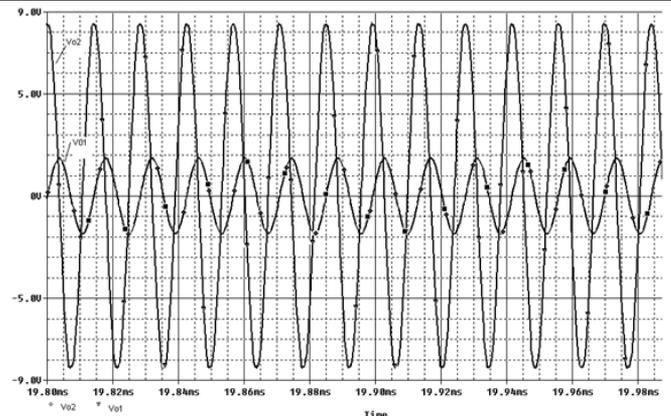
3	Frequency of oscillation	$\frac{1}{2\pi} \sqrt{\frac{\beta_{p1}(1+\beta_{n1}\beta_{p2}-\alpha_2\beta_{p2}\beta_{n1})}{\beta_{n1}C_1C_2R_1R_3}}$	$\frac{1}{2\pi} \sqrt{\frac{\alpha_1\alpha_2\beta_{n1}\beta_{p2}}{C_1C_2R_3(R_2-\alpha_1\beta_{p1}\beta_{p2}R_1)}}$
4	Vo2=f(Vo1)	$\frac{\alpha_2\beta_{p2}R_2-\alpha_1\alpha_2\beta_{n2}R_1}{sC_2R_1}$	$\frac{\alpha_1\beta_{p2}}{sC_2R_2}$
5	Sensitivity Coefficients	$S_{C_1, C_2, R_1, R_3}^{\omega_o} = -\frac{1}{2}, \quad S_{\beta_{p1}}^{\omega_o} = \frac{1}{2},$ $S_{\alpha_2}^{\omega_o} = -\frac{\alpha_2\beta_{p2}\beta_{n1}}{2(1+\beta_{n1}\beta_{p2}-\alpha_2\beta_{p2}\beta_{n1})}$ $i.e. \leq -\frac{1}{2},$ $S_{\beta_{p2}}^{\omega_o} = \frac{1}{1+\frac{1}{(1-\alpha_2)\beta_{p2}\beta_{n1}}}$ $S_{\beta_{n1}}^{\omega_o} = \frac{-1}{2[1+\beta_{n1}\beta_{p2}(1-\alpha_2)]}$ $i.e. \cong 0, \quad i.e. \cong 0$	$0 \leq  S_X^Y  \leq \frac{1}{2}; \text{ for } R_2 \gg R_1$ <p>where Y= <math>\omega_0</math> and X=C1, C2, R1, R2, R3,  <math>\alpha_1, \alpha_2, \beta_{n1},</math> and <math>\beta_{p2}</math></p>

**4. PSPICE Simulation results**

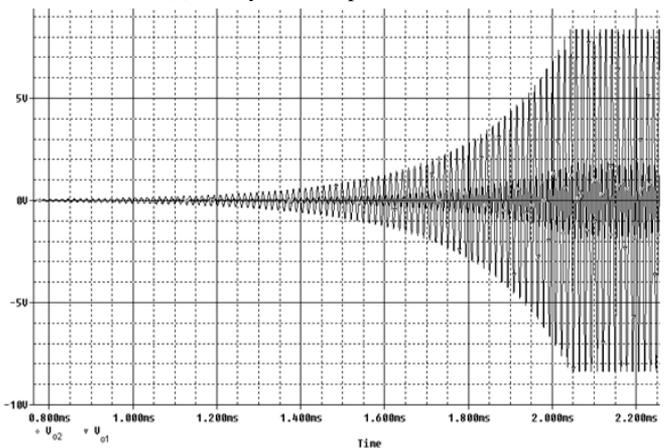
To verify the theoretical results, the proposed CDBA-based SRC-QO circuits of figure.3 have been simulated in PSPICE using macro model of commercially available AD844 ICs employed to construct the CDBAs as shown in figure.2 with supply voltages of  $\pm 12V$ .

For proposed circuit 1, to obtain the quadrature output waveforms, the component values were taken as C1=100pF, C2=100pF, R2=10k $\Omega$ , R1=21k $\Omega$  (chosen to be larger than 2R2 to ensure that the oscillations will start). The variability of oscillation frequency with resistor R3 is shown in Fig-4 when R3 was varied from 200 $\Omega$  to 140k $\Omega$ .

For proposed circuit 2, to obtain the quadrature output waveforms, the component values were taken as C1=1nF, C2=1nF, R1=400 $\Omega$ , R3= 470 $\Omega$  (chosen to be larger than R1 to ensure that the building-up of oscillations). The variability of oscillation frequency with resistor R2 (with R2 varied from 3k $\Omega$  to 100k $\Omega$ ) is shown in figure 5.



(a) steady state output waveforms



(b) transient waveforms

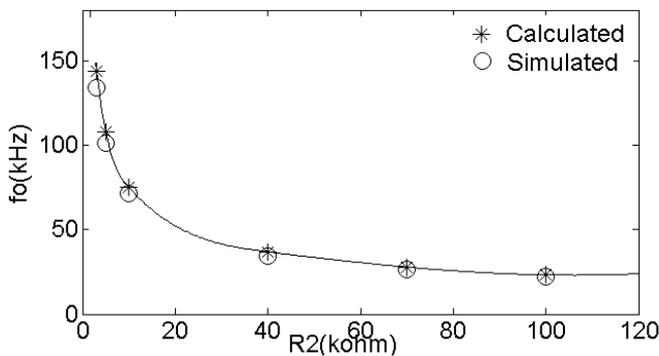
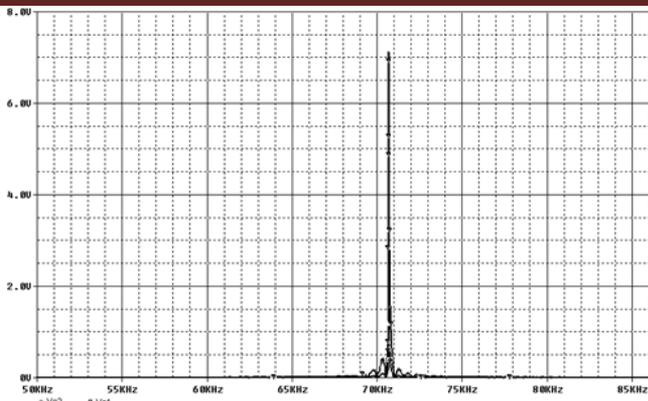


Fig.5: Single resistor frequency control of the proposed circuit 2



(c) output spectrum.

Fig.6: Simulation results of the quadrature outputs Vo1 and Vo2 of proposed circuit 1

Table 3: Total Harmonic distortion of the proposed circuits

S. No.	Proposed circuit 1			Proposed circuit 2		
	Frequency (KHz)	THD (%) of Vo1	THD (%) of Vo2	Frequency (KHz)	THD (%) of Vo1	THD (%) of Vo2
1	30.58	3.90	2.04	22.22	2.59	2.93
2	35.71	3.86	2.34	26.31	1.00	1.37
3	45.25	2.77	1.90	34.48	0.96	1.16
4	87.72	0.98	0.46	71.40	1.67	1.33
5	271.74	0.61	0.61	101.84	2.00	0.52
6	672.94	1.83	1.93	134.05	3.28	0.99

Table 4: Comparison of the frequency range for simulation and % THD of the proposed SRC-QO circuits with previously published SRC-QO circuits having two CDBAs, two capacitors and three resistors

Parameter		Previously known Circuits		Proposed Circuits		
		[19]	[20]	Circuit 1	Circuit 2	
Frequency range for simulation (KHz)	fmin	39.90	7.50	30.58	23.20	
	fmax	399.00	22.50	672.95	134.05	
	Range	359.10	15.00	642.37	110.85	
THD (%)	Vo1	at fmin	4.44	2.54	3.90	2.59
		at fmax	3.35	2.62	1.83	3.28
	Vo2	at fmin	2.55	6.63	2.04	2.93
		at fmax	2.26	0.95	1.93	0.99

A typical waveform generated by circuit 2 with component values C1=1nF, C2=1nF, R1=400Ω, R3=470Ω and R2=10KΩ is shown in Figure 6(a). The transient response of oscillator showing the build up of the oscillations is shown in figure 6 (b) and figure 6 (c) represents the simulated frequency spectrum of the outputs Vo1 and V02.

The PSPICE simulation results, thus, confirm the practical viability of the proposed circuits.

The results of the total harmonic distortion of the proposed circuits as obtained from simulation are summarized in Table 3.

A comparison of the frequency range for simulation and % THD of the presented circuits as compared with previously reported circuits is shown in Table 4.

**5. Conclusions**

Two new SRC quadrature sinusoidal oscillators employing two CDBAs, two capacitors and three resistors have been proposed. These circuits provide two sinusoidal outputs with the phase difference of 90 degree and independent control of CO and FO through two separate resistors. The new circuits have also grounded and virtually grounded capacitors, which is advantageous from integrated circuit implementation point of view. First proposed circuit offers low sensitivities with respect to active parameters and has wide frequency range of operation. Second proposed circuit provides, in addition, very good low frequency performance with respect to % THD. The PSPICE simulation results confirm the practical viability of the proposed circuits.

**References**

- [1.] P Horowitz, W Hill. The Art of Electronics, Cambridge, U.K. Cambridge, University Press, 1991.
- [2.] U Tietze, CK Schnek. Electronics Circuits: Design and Applications, Berlin, Germany: Springer, 1991, 795-796.
- [3.] R Holzel. A simple wide band sine wave Quadrature Oscillator, IEEE Transaction on Instrumentation and Measurement 42, 1993, 758-760.
- [4.] IA Khan, S Khwaja. An Integrable gm-C Quadrature Oscillator, International Journal of Electronics 87, 2000, 1353-1357.
- [5.] R Senani. New types of sine wave oscillators, IEEE Transaction Instrumentation and Measurement, IM-34, 1985, 461-463.
- [6.] R Senani, DR Bhaskar. Single-op-amp Sinusoidal oscillators suitable for generation of Very Low Frequencies, IEEE Trans. on Instrumentation and Measurement (USA) 40, 1991, 777-779.
- [7.] AS Elwakil. Systematic realization of low-frequency oscillators using composite passive- active resistors, IEEE Transaction Instrumentation and Measurement 47, 1998, 584-586.
- [8.] C Acar, S Ozoguz. A new versatile building block: current differencing buffered amplifier suitable for analog signal processing filters', Microelectronics journal 30, 1999, 157-160.
- [9.] S Özoguz, A Toker, C Acar. Current-mode continuous-time fully-integrated universal filter using CDBAs, Electron. Lett., 35, 1999, 97-98.
- [10.] C Acar, H Sedef. Realization of nth-order current transfer function using current-differencing buffered amplifiers, International Journal of Electronics, 90, 2003, 277 – 283.
- [11.] AU Keskin. Voltage-mode high-Q band pass filters and oscillators employing single CDBA and minimum number of passive components, International Journal of Electronics 92, 2006, 479-487.
- [12.] AU Keskin, E Hancioglu. Current mode multifunction filter using two CDBAs, AUE- International Journal of Electronics & Communications 59, 2005, 495-498.
- [13.] S Ozcan, A Toker, C Acar, H Kuntman, O Cicekoglu. Single resistance controlled sinusoidal oscillators employing current differencing buffered amplifier, Micro electronics journal 31, 2000, 169-174.
- [14.] AU Keskin, C Aydin, E Hancioglu, C Acar. Quadrature Oscillator Using CDBA', Frequenz, 60, 2005, 21-23.
- [15.] W Tangsrirat, T Pukkalanun, W Surakampontorn. CDBA based Universal Biquad Filter and Quadrature Oscillator, Active and Passive Electronic Components Article ID 24171, 6, 2007.
- [16.] W Tangsrirat, S Pisitchalermpong. CDBA-based quadrature sinusoidal oscillator, Frequenz, 61, 2007, 102-104.
- [17.] JW Horng. CDBA based single resistance controlled Quadrature Oscillator employing grounded capacitors, IEICE

transactions on fundamental of Electronics, communications and computer sciences, E85-A, 2002, 1416-1419.

- [18.] JK Pathak, AK Singh, R Senani. Systematic realization of quadrature oscillators using current differencing buffered amplifiers', IET Circuits Devices and Systems 5, 2011, 203-211.
- [19.] S Maheshwari, IA Khan. Novel single resistance controlled quadrature oscillator using two CDBAs, Journal of Active and Passive Electronic devices, 2007, 137-142.
- [20.] W Tangsrirat, D Prasertsom, T Piyatat, W Surakamponorn. Single resistance controlled quadrature oscillator using current differencing buffered amplifiers', International Journal of Electronics 95, 2008, 1119-1126.
- [21.] S Özoguz, A Toker, C Acar. Current-mode continuous-time fully-integrated universal filter using CDBAs', Electron. Lett., 35, 1999, 97-98.
- [22.] A Toker, S Özoguz, O Cicekoglul, C Acar. Current mode all pass filters using current differencing buffered amplifier and a new high Q band pass filter configuration, IEEE Transaction on circuits and systems-II:Analog and digital signal processing 47, 2000, 949-954.
- [23.] S Maheshwari, IA Khan. Current controlled current differencing buffered amplifier: Implementations and Applications', Active and Passive Electronic Components 4, 2004, 219 -227.
- [24.] W Tangsrira, W Surakamponorn. Cascadable multiple-input single output current mode universal filter based on current differencing buffered amplifiers, Frequenz, 50, 2006, 152-154.